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## Graphing Transformations Techniques -- Team Project Packet B

This packet is to be completed by Student B working alone. It should be completed before Students A and B work together to complete Packet AB.

## Problem B1

Use the "Graphing Techniques: Transformations -- Characteristics Worksheet" to solve the problem. Write the equation/function you get when you spin the graph of $y=\sqrt{x}$ around the $y$-axis.

Step 1: Identify the transformation type: $\qquad$
Step 2: Identify what you are being asked to create: (Circle One)
A function/equation
A set of coordinates
A graph

Step 3: Based on your answer to Step 2, write the associated characteristics that will help you solve the problem:

Final Answer: $\qquad$

## Problem B2

Use the "Graphing Techniques: Transformations -- Characteristics Worksheet" to solve the problem. Use your knowledge of Graphing Techniques: Transformations to complete the missing table of coordinates.

When graphed, an equation/function $f(x)$ contains the points...

| $x$ | -1 | 0 | 1 | 2 | 3 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $y$ | -1 | 0 | 1 | 8 | 27 |

Based on that data, what are the corresponding points on the equation/function $f(-x)$ ?

| $x$ |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- |
| $y$ |  |  |  |  |  |

Step 1: Identify the transformation type: $\qquad$
Step 2: Identify what you are being asked to create: (Circle One)

$$
\text { A function/equation } \quad \text { A set of coordinates } \quad \text { A graph }
$$

Step 3: Based on your answer to Step 2, write the associated characteristics that will help you solve the problem:

Final Answer: (Complete the blank table above)

## Problem B3

Use the "Graphing Techniques: Transformations -- Characteristics Worksheet" to solve the problem. When you start with the library function whose graph contains the points...

| $x$ | $y$ |
| :---: | :---: |
| -1 | 1 |
| 0 | 0 |
| 1 | 1 |
| 2 | 2 |
| 3 | 3 |

...and you transform it into a new function whose graph contains the points...

| $x$ | $y$ |
| :---: | :---: |
| 1 | 1 |
| 0 | 0 |
| -1 | 1 |
| -2 | 2 |
| -3 | 3 |

...this represents which type of transformation? (Circle one.)
$A$ horizontal (y-axis) reflection $\quad B$ vertical ( $x$-axis) reflection $\quad C$ None of the other answers

## Problem B4

Use the "Graphing Techniques: Transformations -- Characteristics Worksheet" to solve the problem. Use your knowledge of Graphing Techniques: Transformations to complete the missing table of coordinates.

When graphed, the equation $y=\sqrt[3]{x}$ contains the points...

| $x$ | -1 | 0 | 1 | 8 | 27 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $y$ | -1 | 0 | 1 | 2 | 3 |

What are the corresponding points when graphing $=-\sqrt[3]{x}$ ?

| $x$ |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- |
| $y$ |  |  |  |  |  |

Step 1: Identify the transformation type:
Step 2: Identify what you are being asked to create: (Circle One)
A function/equation
A set of coordinates A graph

Step 3: Based on your answer to Step 2, write the associated characteristics that will help you solve the problem:

Final Answer: (Complete the blank table above)

## Problem B5

Use the "Graphing Techniques: Transformations
-- Characteristics Worksheet" to solve the
problem. One of the library functions has been transformed to create the graph. Write the equation of the function that matches the graph.


Step 1: Identify the transformation type:
Step 2: Identify what you are being asked to create: (Circle One)
A function/equation
A set of coordinates
A graph

Step 3: Based on your answer to Step 2, write the associated characteristics that will help you solve the problem:

Final Answer: $\qquad$

## Problem B6

Use the "Graphing Techniques: Transformations -- Characteristics Worksheet" to solve the problem. When you start with the library function whose graph contains the points...

| $x$ | $y$ |
| :---: | :---: |
| -2 | 4 |
| -1 | 1 |
| 0 | 0 |
| 1 | 1 |
| 2 | 4 |

...and you transform it into a new function whose graph contains the points...

| $x$ | $y$ |
| :---: | :---: |
| -2 | -4 |
| -1 | -1 |
| 0 | 0 |
| 1 | -1 |
| 2 | -4 |

...this represents which type of transformation? (Circle one.)
$A$ horizontal (y-axis) reflection $\quad B$ vertical ( $x$-axis) reflection $\quad C$ None of the other answers

Consider the graph of $f(x)$ on the right. Use the graph of $f$ to complete the table and graph $P(x)=-f(x)$ on the same grid.

| $f(x)$ |  | $P(x)=-f(x)$ |  |
| :---: | :---: | :---: | :---: |
| $x$ | $y$ | $x$ | $y$ |
| -3 | 1 |  |  |
| 0 | 0 |  |  |
| 1 | 1 |  |  |



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Step 1: Identify the transformation type:
Step 2: Identify what you are being asked to create: (Circle Two)
A function/equation
A set of coordinates
A graph

Step 3: Based on your answer to Step 2, write the associated characteristics that will help you solve the problem:

Final Answer: (Complete the table above and create the new graph on the same grid)

## Problem B8

Use the "Graphing Techniques: Transformations -- Characteristics Worksheet" to solve the problem. Write the equation/function you get when you spin the graph of $y=x$ around the $y$-axis. Simplify.

Step 1: Identify the transformation type: $\qquad$
Step 2: Identify what you are being asked to create: (Circle One)
A function/equation A set of coordinates A graph
Step 3: Based on your answer to Step 2, write the associated characteristics that will help you solve the problem:

Final Answer: $\qquad$

## Problem B9

Use the "Graphing Techniques: Transformations -- Characteristics Worksheet" to solve the problem. Write the equation/function you get when you spin the graph of $y=x$ around the $x$-axis. Simplify.

Step 1: Identify the transformation type:
Step 2: Identify what you are being asked to create: (Circle One)
A function/equation
A set of coordinates
A graph

Step 3: Based on your answer to Step 2, write the associated characteristics that will help you solve the problem:

Final Answer: $\qquad$

## Problem B10

What do you notice about your answers to Problems $B 8$ and $B 9$ ? Why did this happen?

What did you notice?: $\qquad$

Why did this happen? (Fill in the blanks in the sentences below.)

For any line of the form $y=m x$ (where $m$ is any real number), multiplying the right side by $\qquad$ will result in the same equation as replacing $x$ with $\qquad$ because multiplication is commutative.

## Problem B11

Use the "Graphing Techniques: Transformations -- Characteristics Worksheet" to solve the problem. Write the function whose graph is the graph of $y=\sqrt{x}$, but is stretched away from the $y$-axis using an " $a$ " value of $\frac{1}{4}$.

Step 1: Identify the transformation type: $\qquad$
Step 2: Identify what you are being asked to create: (Circle One)

$$
\text { A function/equation } \quad \text { A set of coordinates } \quad \text { A graph }
$$

Step 3: Based on your answer to Step 2, write the associated characteristics that will help you solve the problem:

Final Answer: $\qquad$

## Problem B12

Use the "Graphing Techniques: Transformations -- Characteristics Worksheet" to solve the problem. Use your knowledge of Graphing Techniques: Transformations to complete the missing table of coordinates.

When graphed, an equation/function $f(x)$ contains the points...

| $x$ | -4 | -2 | 0 | 2 | 4 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $y$ | -64 | -8 | 0 | 8 | 64 |

Based on that data, what are the corresponding points on the equation/function $f(2 x)$ ?

| $x$ |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- |
| $y$ |  |  |  |  |  |

Step 1: Identify the transformation type: $\qquad$

Step 2: Identify what you are being asked to create: (Circle One)
A function/equation
A set of coordinates
A graph

Step 3: Based on your answer to Step 2, write the associated characteristics that will help you solve the problem:

Final Answer: (Complete the blank table above)

## Problem B13

Use the "Graphing Techniques: Transformations -- Characteristics Worksheet" to solve the problem. When you start with the library function whose graph contains the points...

| $x$ | $y$ |
| :---: | :---: |
| -6 | 6 |
| -3 | 3 |
| 0 | 0 |
| 3 | 3 |
| 6 | 6 |

...and you transform it into a new function whose graph contains the points...

| $x$ | $y$ |
| :---: | :---: |
| -18 | 6 |
| -9 | 3 |
| 0 | 0 |
| 9 | 3 |
| 18 | 6 |

...this represents which type of transformation? (Circle one.)

A horizontal compression $\quad B$ vertical compression $\quad C$ horizontal stretch $D$ vertical stretch

## Problem B14

Use the "Graphing Techniques: Transformations -- Characteristics Worksheet" to solve the problem. Use your knowledge of Graphing Techniques: Transformations to complete the missing table of coordinates.

When graphed, the equation $y=\sqrt[3]{x}$ contains the points...

| $x$ | -64 | -8 | 0 | 8 | 64 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $y$ | -4 | -2 | 0 | 2 | 4 |

What are the corresponding points when graphing $=2 \sqrt[3]{x}$ ?

| $x$ |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- |
| $y$ |  |  |  |  |  |

Step 1: Identify the transformation type: $\qquad$

Step 2: Identify what you are being asked to create: (Circle One)
A function/equation
A set of coordinates
A graph

Step 3: Based on your answer to Step 2, write the associated characteristics that will help you solve the problem:

Final Answer: (Complete the blank table above)

## Problem B15

Use the "Graphing Techniques: Transformations
-- Characteristics Worksheet" to solve the problem. One of the library functions has been transformed to create the graph. Write the equation of the function that matches the graph.


Step 1: Identify the transformation type: $\qquad$

Step 2: Identify what you are being asked to create: (Circle One)
A function/equation A set of coordinates A graph
Step 3: Based on your answer to Step 2, write the associated characteristics that will help you solve the problem:

Final Answer: $\qquad$

## Problem B16

Use the "Graphing Techniques: Transformations -- Characteristics Worksheet" to solve the problem. When you start with the library function whose graph contains the points...

| $x$ | $y$ |
| :---: | :---: |
| -10 | 100 |
| -5 | 25 |
| 0 | 0 |
| 5 | 25 |
| 10 | 100 |

...and you transform it into a new function whose graph contains the points...

| $x$ | $y$ |
| :---: | :---: |
| -10 | 20 |
| -5 | 5 |
| 0 | 0 |
| 5 | 5 |
| 10 | 20 |

...this represents which type of transformation? (Circle one.)

A horizontal compression $\quad B$ vertical compression $\quad C$ horizontal stretch $D$ vertical stretch

